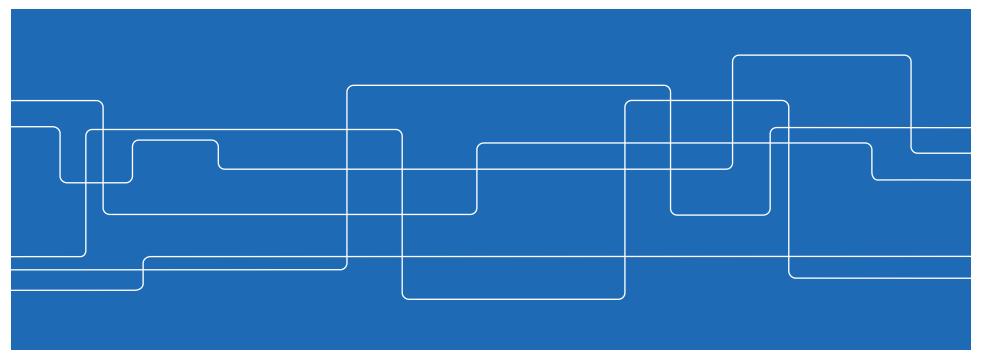


Critical Machine-to-Machine Communications: Performance Models vs. Reality

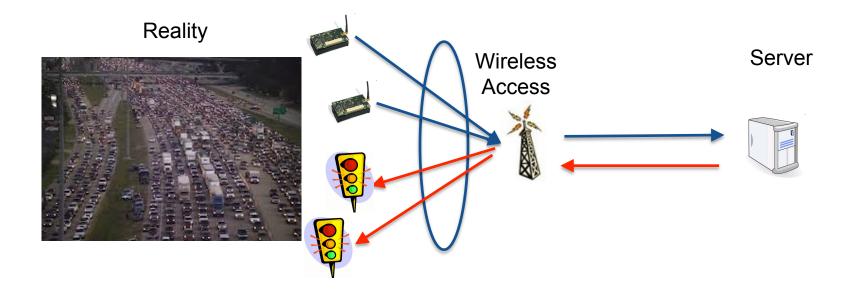
WoNeCa 2016, Muenster, Germany

<u>James Gross (joint work with S. Schiessl and H. Al-Zubaidy)</u> james.gross@ee.kth.se www.jamesgross.org





Closing the Loop ...



Closed-loop control: Very wide range of requirements ! But very powerful in terms of application range ...



Low Latency Wireless - Requirements

- Smart grid: Synchronization of generators
 - $T_{\rm max} < 5 \text{ ms} \& P_{\rm out} < 10^{-5}$
- Industrial automation: Factory control
 - $T_{\rm max}$ < 1 ms & $P_{\rm out}$ < 10⁻⁷ (SIL 1)
- Traffic safety: Brake indication in platoons
 - $T_{\rm max} < 10 \text{ ms} \& P_{\rm out} < 10^{-5}$
- Tactile interaction over a network
 - $T_{\rm max}$ < 10 ms & $P_{\rm out}$ < 10⁻⁶



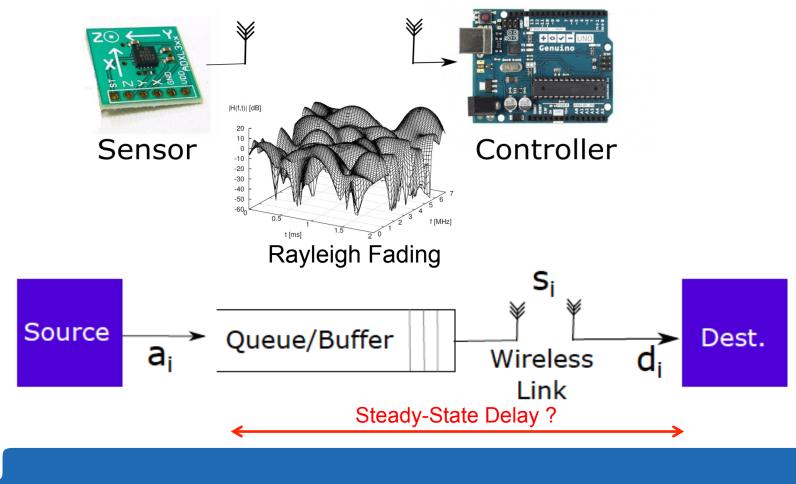
Open Issues

- Are such communication systems feasible at all ?
- How to realize such systems efficiently ?
 - → Information / Communication Theory
- How to develop such systems ?
- How to guarantee system properties at run-time ?
 - ➔ Validation / Verification

Credibility of model assumptions at 10⁻⁹ outage probability?



System Model





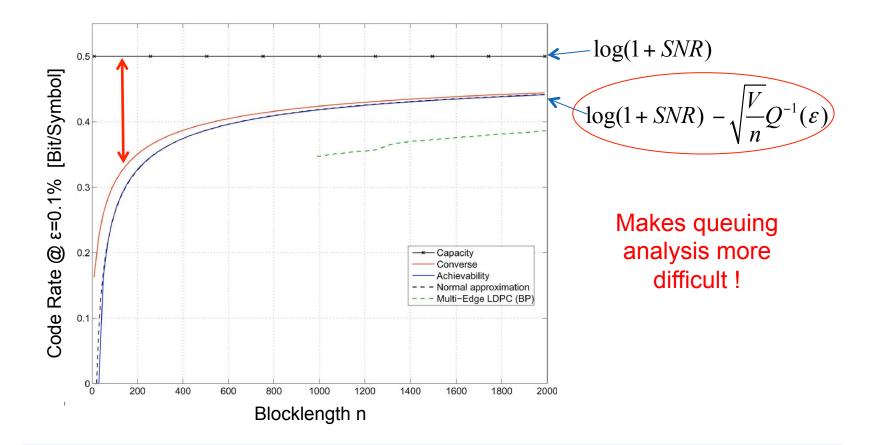
Link Modeling

- Given a link SNR, what is the capacity of the link?
- Standard model (Shannon): $s_i = \log(1 + SNR)$ ۲
 - Assumes noise process averages out → many symbols/slot !
- Finite blocklength model [1]: $s_i \approx \log(1 + SNR) \sqrt{\frac{V}{R}Q^{-1}(\varepsilon)}$ •
 - Accounts for finite (low) number of symbols *n*
 - Error floor ε needs to be specified ٠

[1] Y. Polyanskiy, H. Poor, and S. Verdu, "Channel coding rate in the finite blocklength regime," IEEE Trans. Inf. Theory, vol. 56, no. 5, pp. 2307–2359, May 2010.



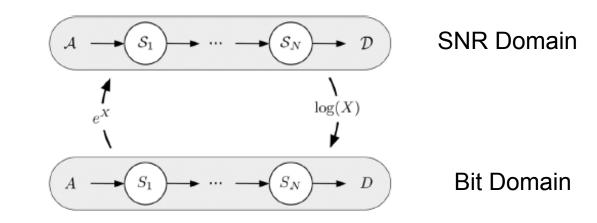
Finite Blocklength Penalty





Mellin Transform-Based Network Calculus

• Novel approach for wireless queuing analysis [2]



• Performance analysis by Mellin transform (Shannon cap.)

$$\mathbb{E}\left[\left(e^{s_i}\right)^{\theta}\right] = \mathbb{E}\left[\left(1 + \text{SNR}\right)^{n\theta}\right]$$

[2] H. Al-Zubaidy, J. Liebeherr, and A. Burchard, "A (min,x) Network Calculus for Multi-Hop Fading Channels," *Proc. IEEE Infocom 2014*.

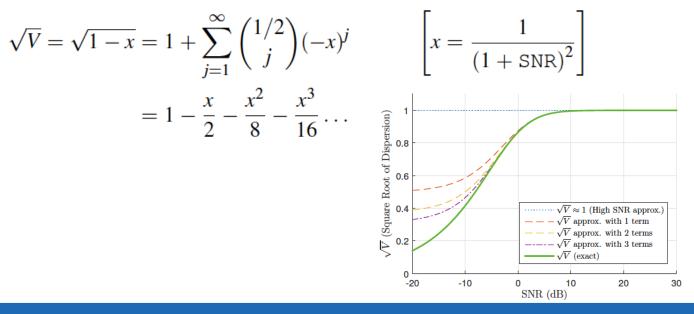


Mellin Transform of FBL Capacity I

• Assume a fixed choice of ϵ

 \rightarrow FBL rate penalty is proportional to V!

• However, we have:





Mellin Transform of FBL Capacity II

• Computing the Mellin transform $\mathbb{E}\left[(e^{s_i})^{\theta}\right]$ requires integration over :

$$e^{-c\sqrt{V}} = e^{-c} \cdot e^{c\frac{x}{2}} \cdot e^{c\frac{x^2}{8}} \cdot e^{c\frac{x^3}{16}} \dots$$

• Apply power series for exponential functions

$$e^x = \sum_{k=0}^{\infty} \frac{x^k}{k!}$$

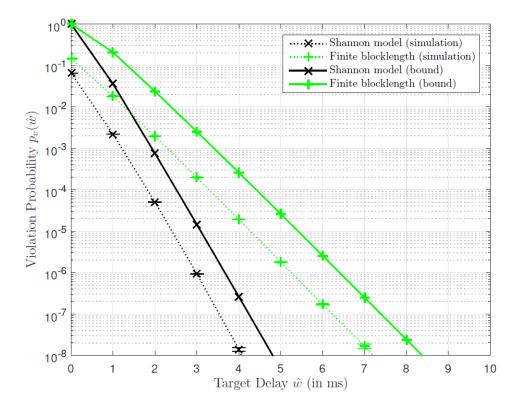
leads finally to infinite sums of infinite sums !

• [3] shows that a finite number of elements is sufficient.

[3] S. Schiessl, H. Al-Zubaidy and J. Gross, "Delay Analysis of Wireless Fading Channels with Finite Blocklength," *Proc. ACM/IEEE MSWIM 2015*.



Numerical Analysis

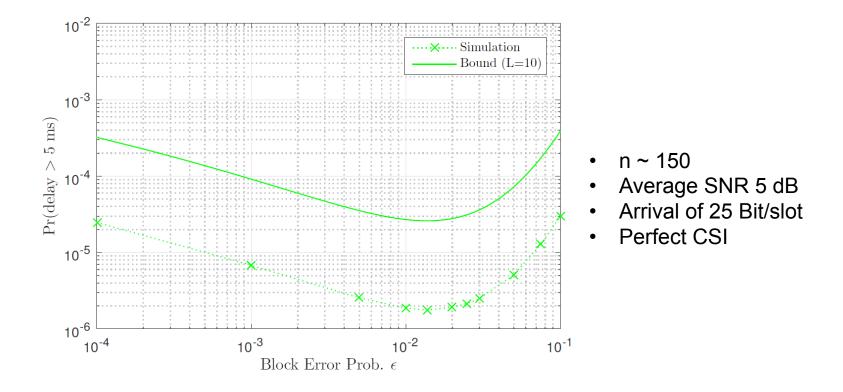


- n ~ 150
- Average SNR 5 dB
- Arrival of 25 Bit/slot
- Perfect CSI
- $\bullet \quad \epsilon = 0.1\%$

Finite blocklength effects have significant performance impact !



Numerical Analysis II

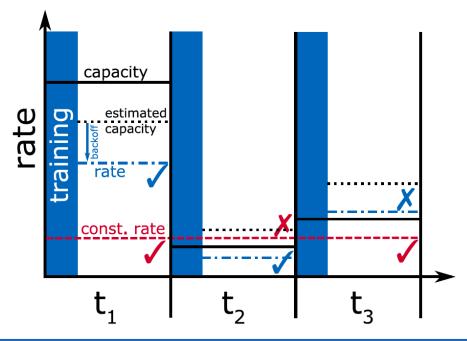


New degrees of freedom available under FBL regime !



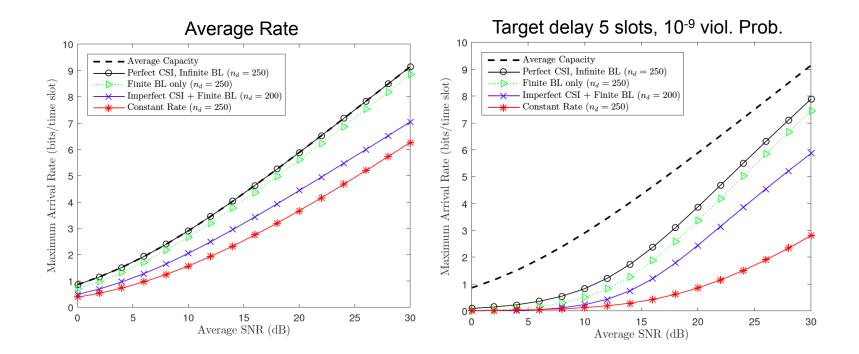
Extension: CSI Knowledge

- Slot split into channel acquisition and payload phase
- Longer training phase → Better channel knowledge!





Numerical Results



Channel adaptation pays off only at higher SNRs

S. Schiessl, H. Al-Zubaidy and J. Gross, "Queueing Performance under Finite Blocklength Channel Coding and Imperfect Channel Knowledge," *in preparation.*



Conclusions

- Current focus: low-latency, ultra-reliable wireless networks
- Many open theoretical and practical problems
- Today: How to build such systems ?
 - FBL regime and CSI acquisition play very important role
 - Channel adaptation only at higher SNRs
- Holy grail of critical M2M: Which models predict reality ?